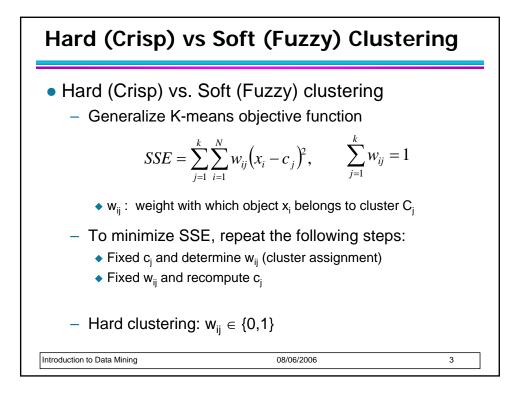
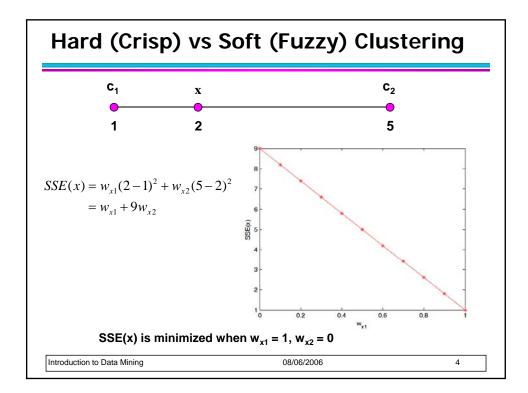
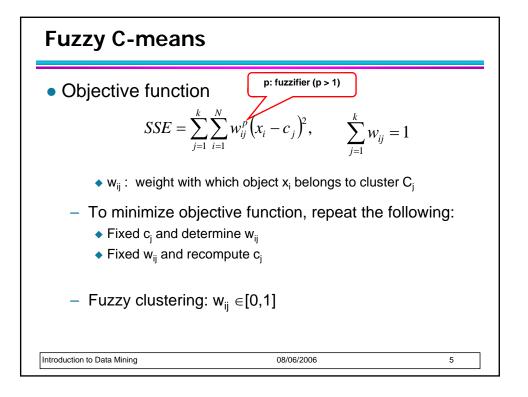
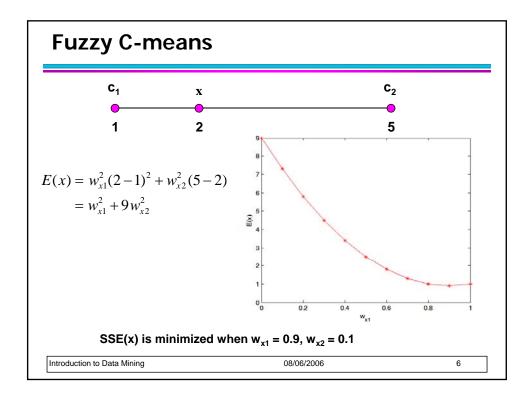


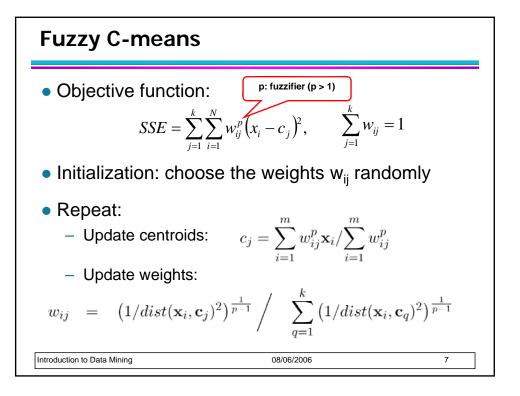
Outline			
 Prototype-based 			
 Fuzzy c-means 			
 Mixture Model Clustering 			
 Self-Organizing Map 	S		
 Density-based 			
 Grid-based clusterin 	g		
 Subspace clustering 			
 Graph-based 			
- Chameleon			
 Jarvis-Patrick 			
 Shared Nearest Neight 	ghbor (SNN)		
Characteristics of Clu	ustering Algorithms		
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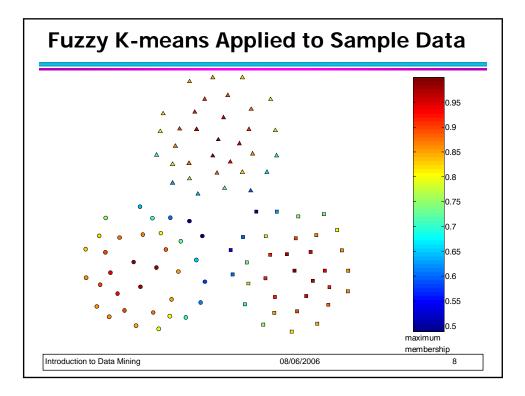


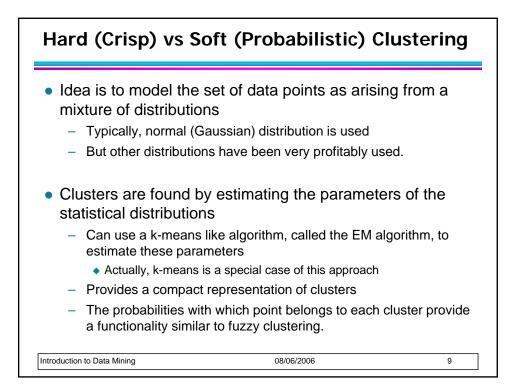


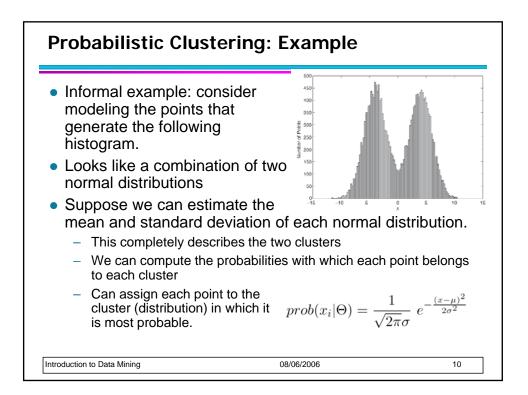


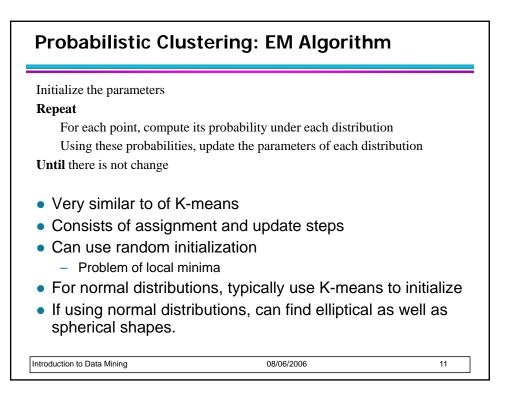


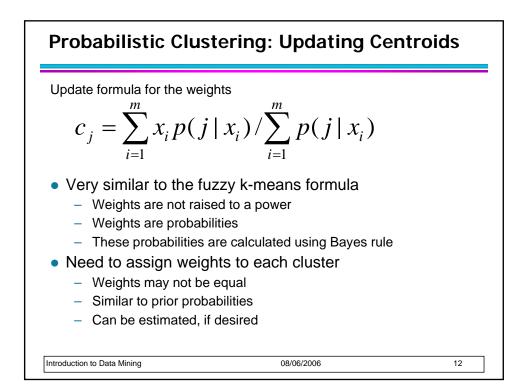


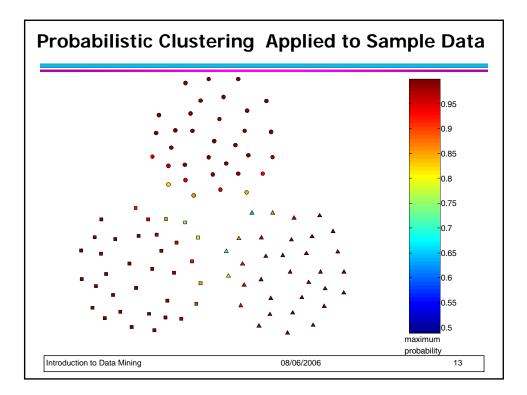


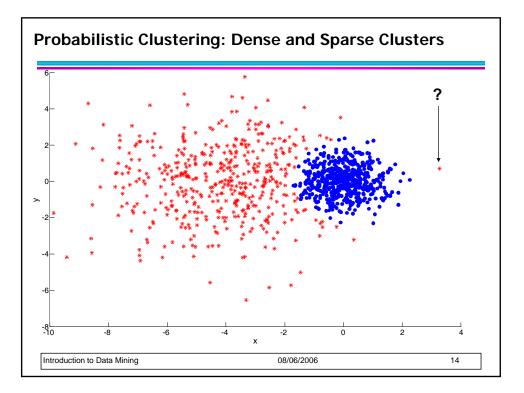


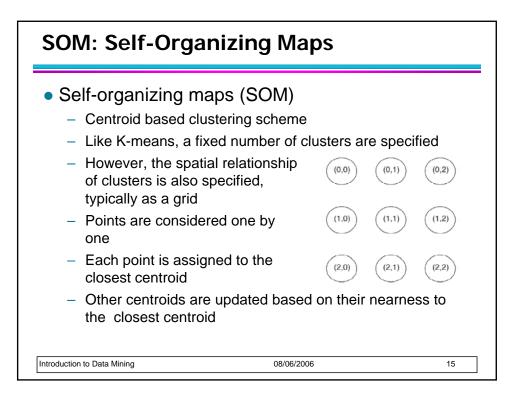


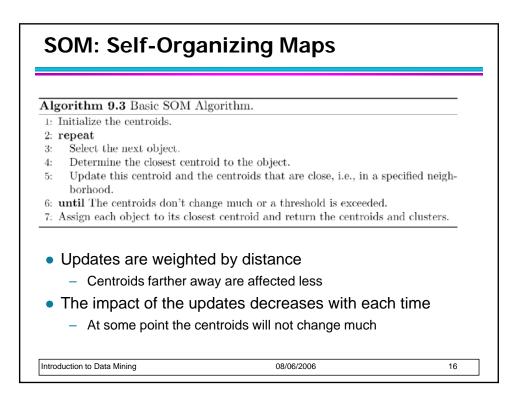


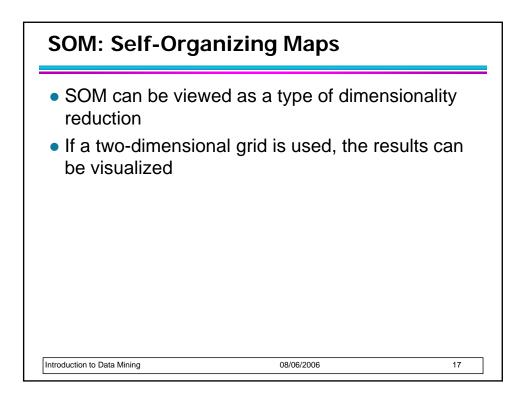


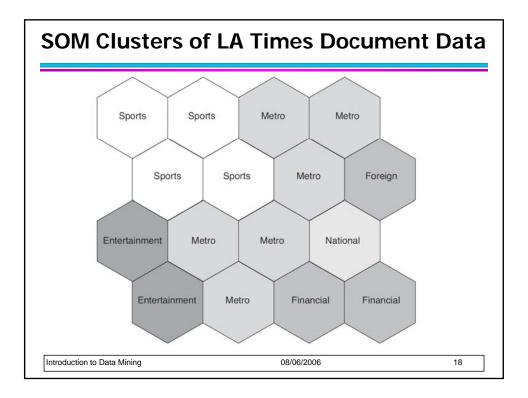


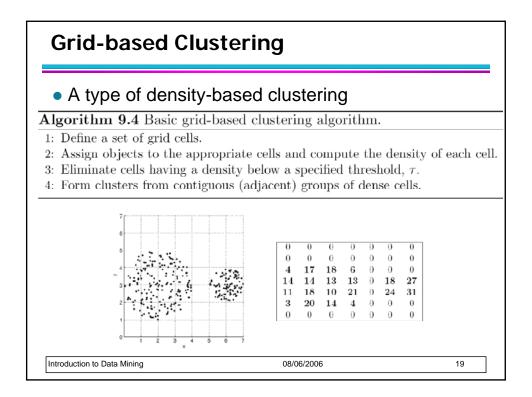


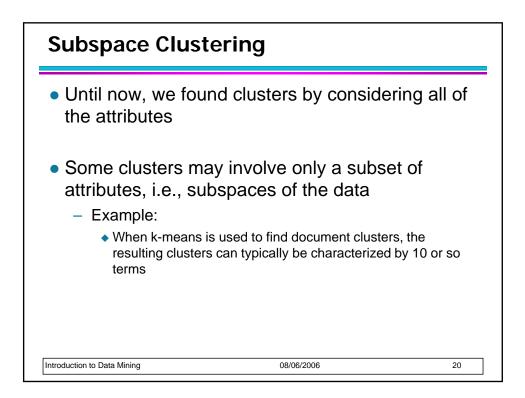


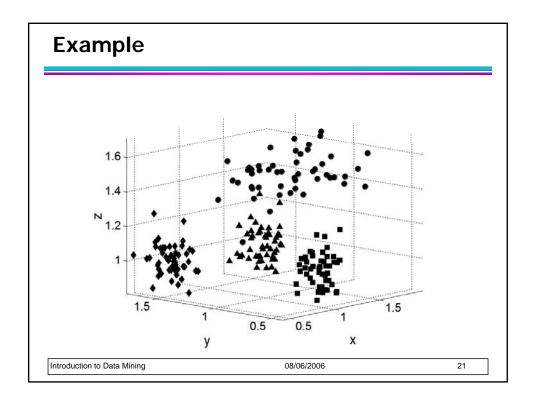


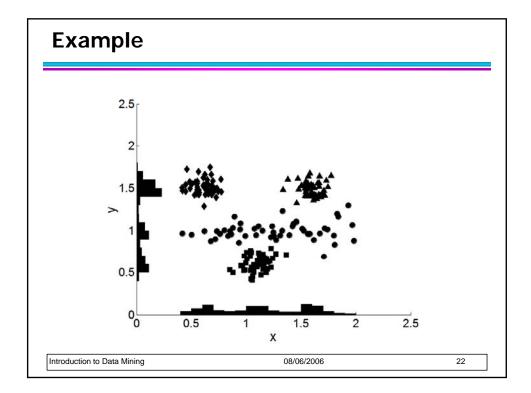


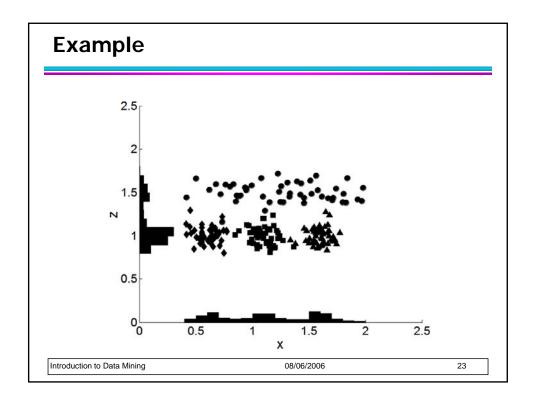


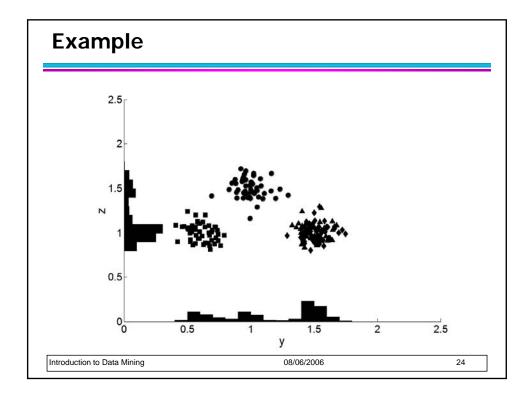


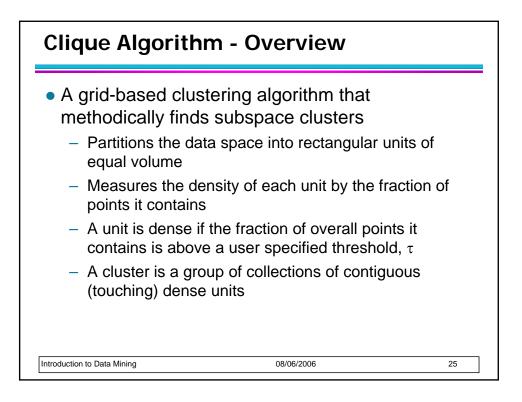


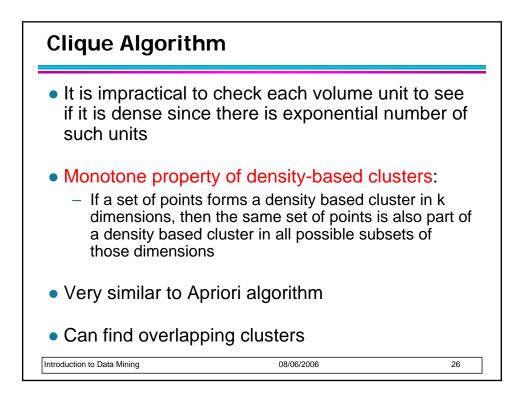


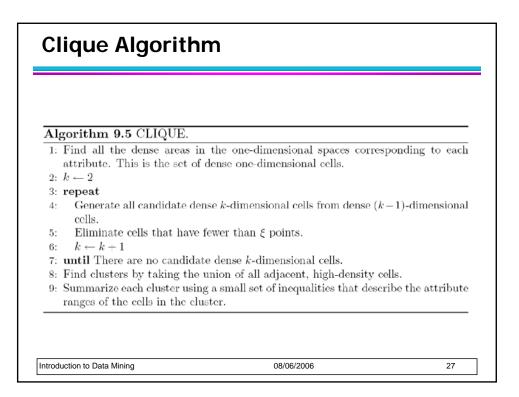


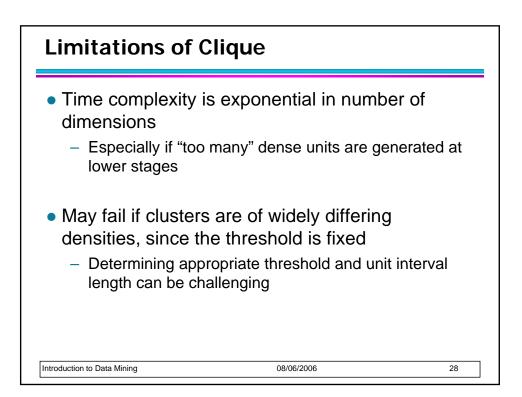


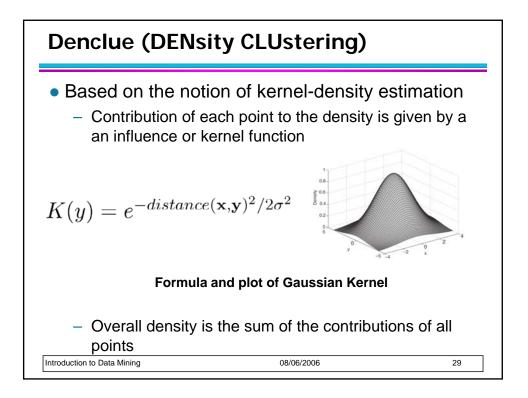


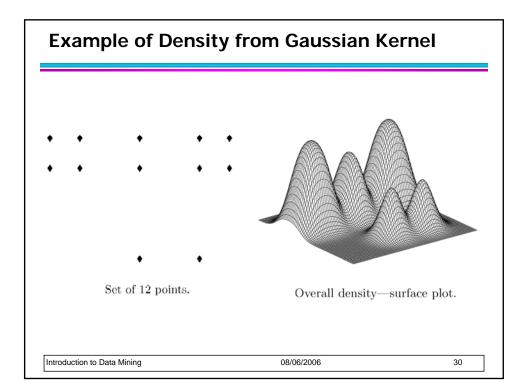


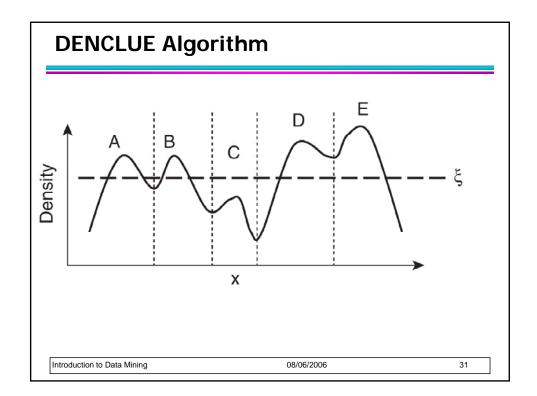


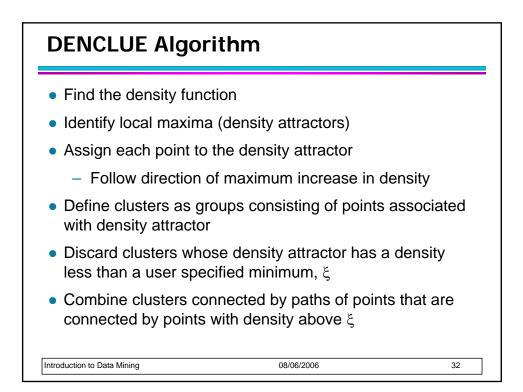


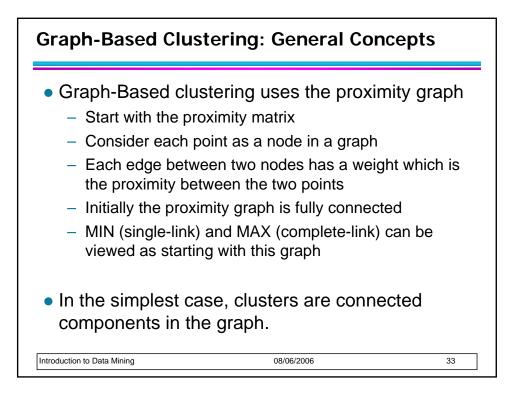


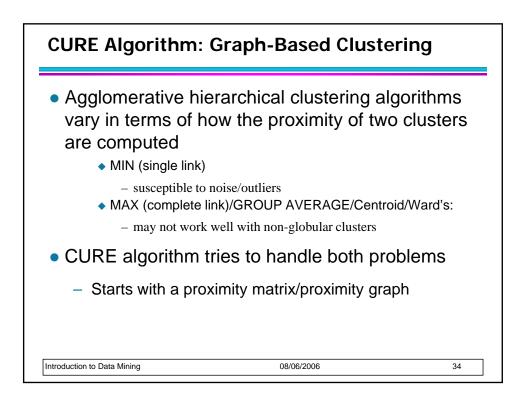


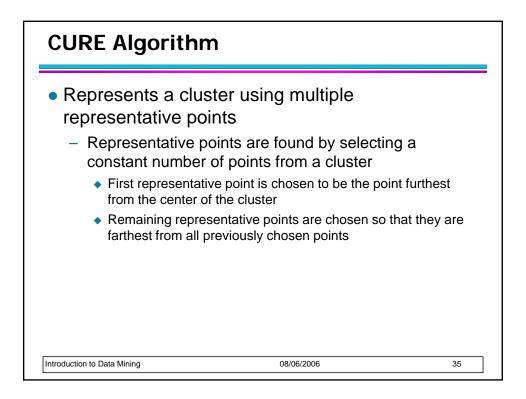


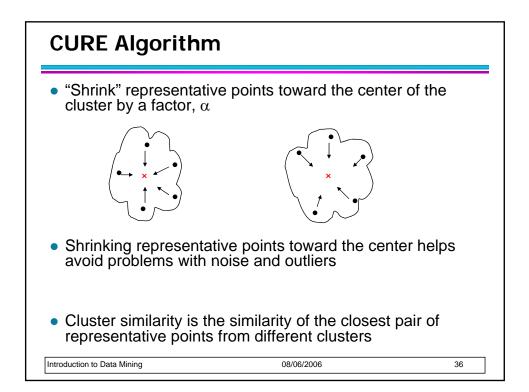


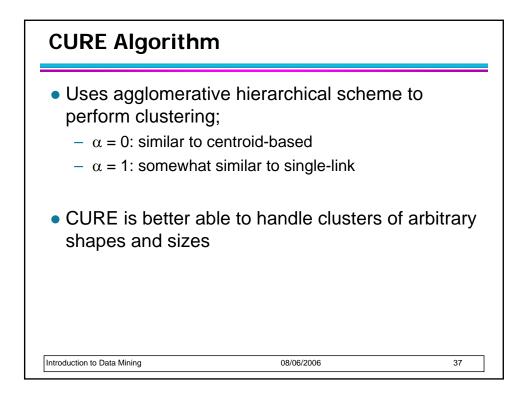


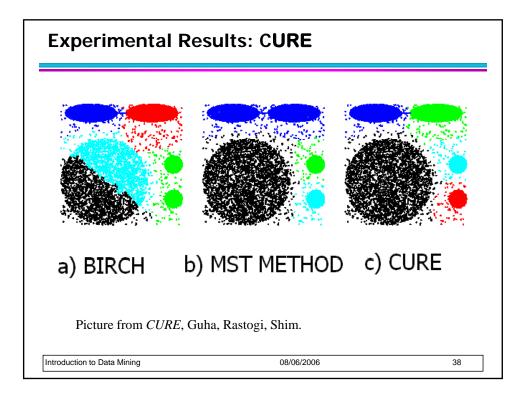


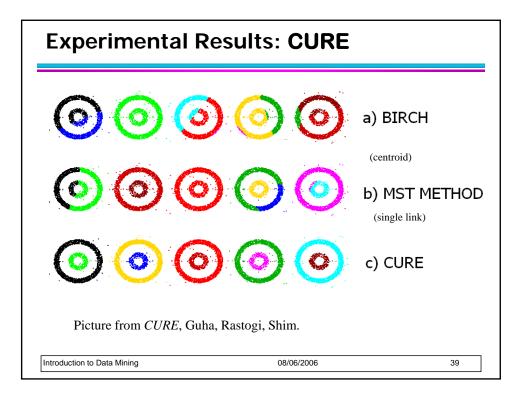


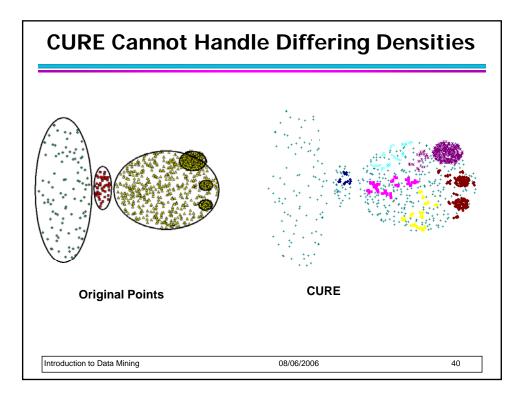


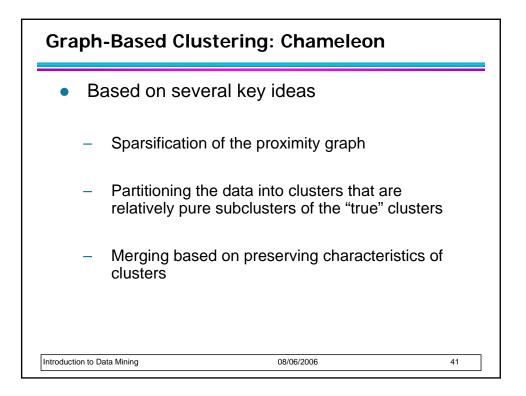


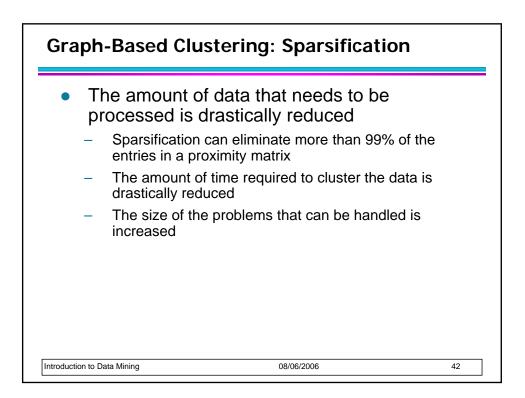


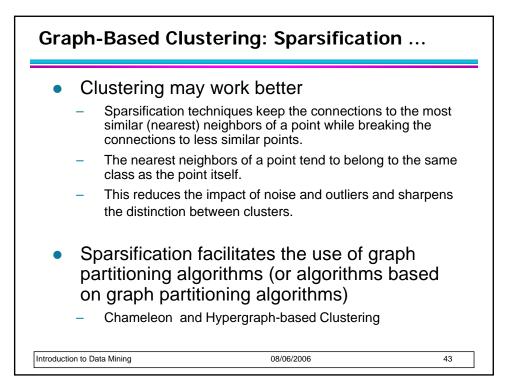


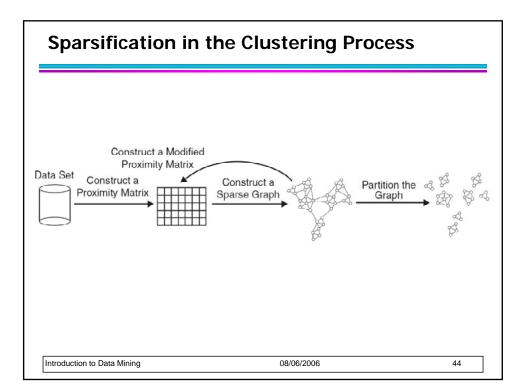


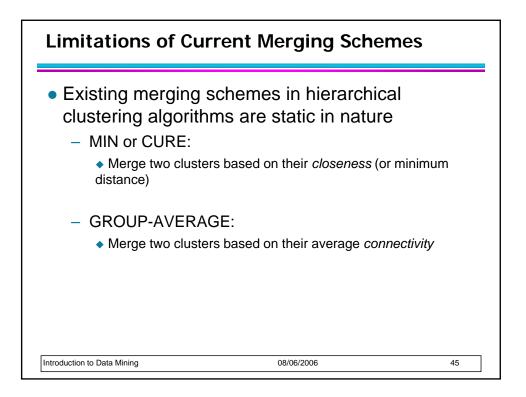


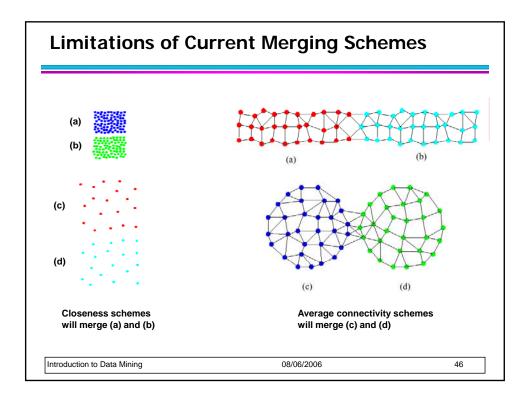


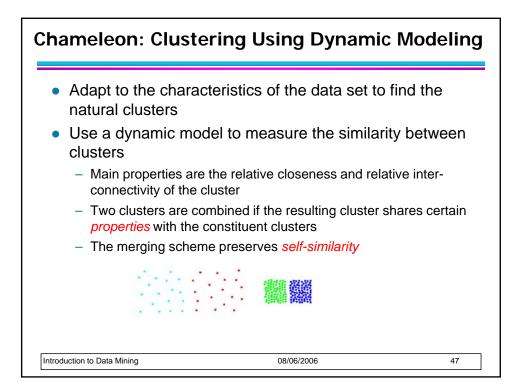












Relative Interconnectivity

• **Relative Interconnectivity (RI)** is the absolute interconnectivity of two clusters normalized by the internal connectivity of the clusters. Two clusters are combined if the points in the resulting cluster are almost as strongly connected as points in each of the original clusters. Mathematically,

$$RI = \frac{EC(C_i, C_j)}{\frac{1}{2}(EC(C_i) + EC(C_j))},$$
(9.18)

where $EC(C_i, C_j)$ is the sum of the edges (of the k-nearest neighbor graph) that connect clusters C_i and C_j ; $EC(C_i)$ is the minimum sum of the cut edges if we bisect cluster C_i ; and $EC(C_j)$ is the minimum sum of the cut edges if we bisect cluster C_j .

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Relative Closeness

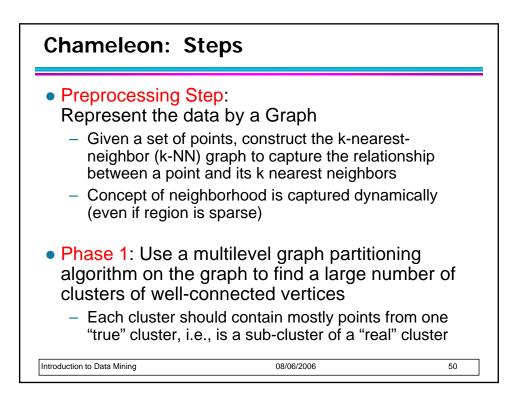
• **Relative Closeness (RC)** is the absolute closeness of two clusters normalized by the internal closeness of the clusters. Two clusters are combined only if the points in the resulting cluster are almost as close to each other as in each of the original clusters. Mathematically,

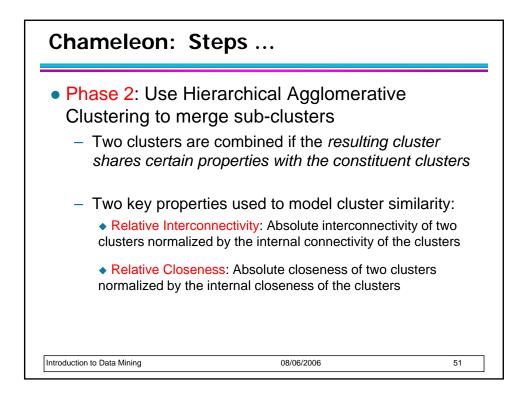
$$RC = \frac{\bar{S}_{EC}(C_i, C_j)}{\frac{m_i}{m_i + m_j} \bar{S}_{EC}(C_i) + \frac{m_j}{m_i + m_j} \bar{S}_{EC}(C_j)},$$
(9.17)

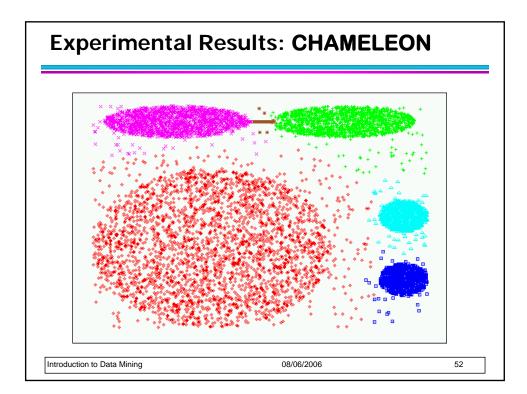
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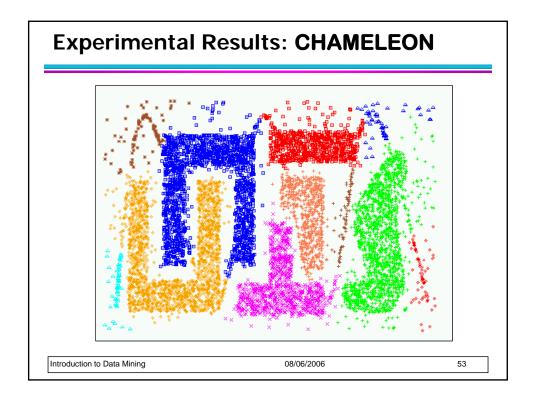
where m_i and m_j are the sizes of clusters C_i and C_j , respectively, $\bar{S}_{EC}(C_i, C_j)$ is the average weight of the edges (of the k-nearest neighbor graph) that connect clusters C_i and C_j ; $\bar{S}_{EC}(C_i)$ is the average weight of edges if we bisect cluster C_i ; and $\bar{S}_{EC}(C_j)$ is the average weight of edges if we bisect cluster C_j . (EC stands for edge cut.)

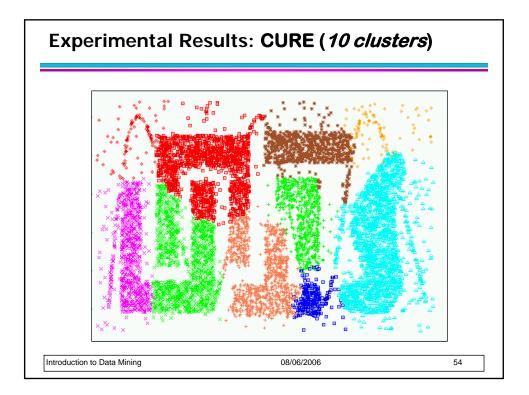
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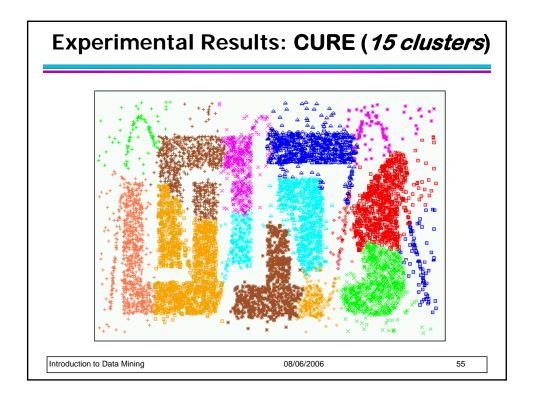


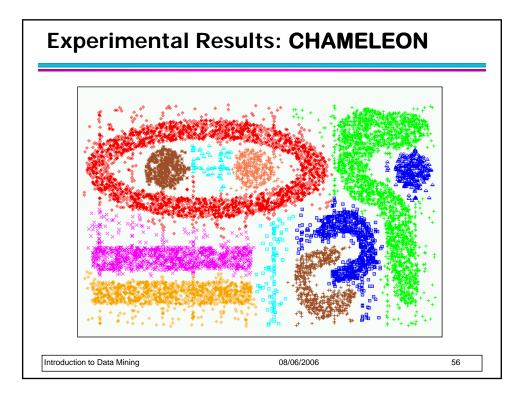


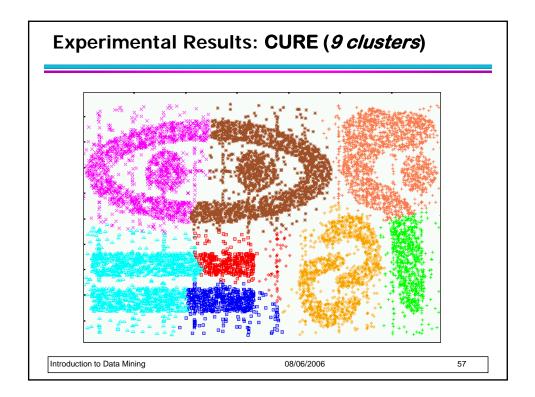


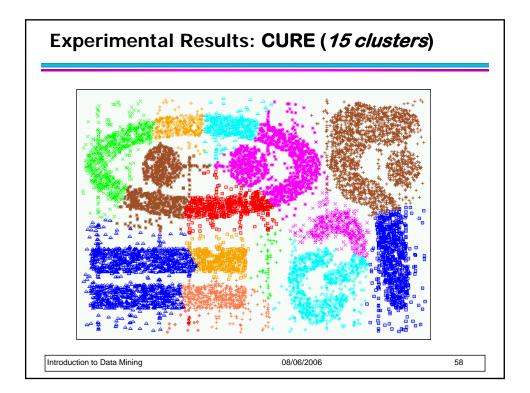


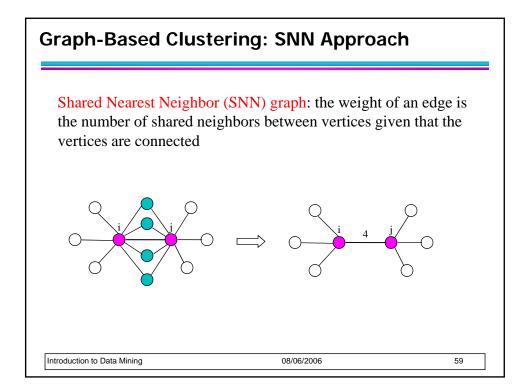


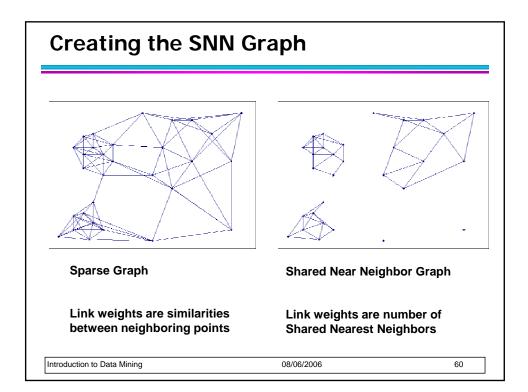


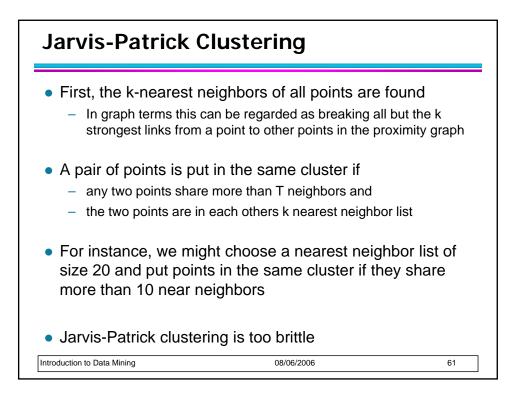


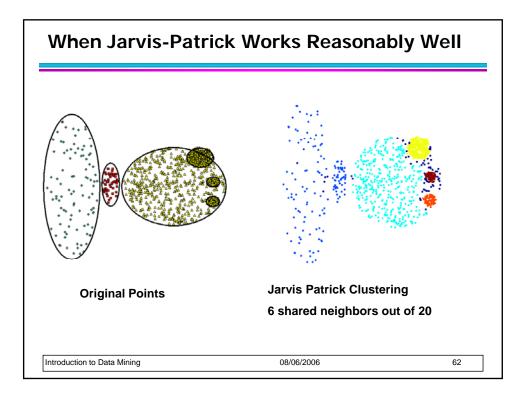


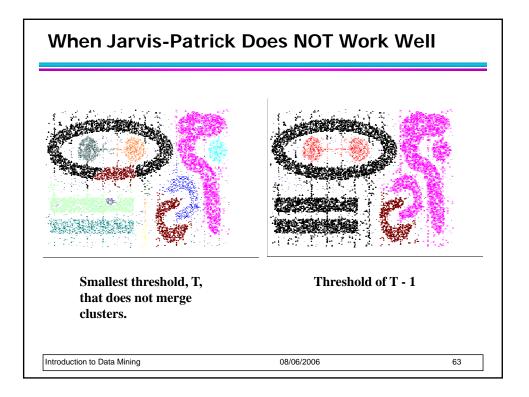


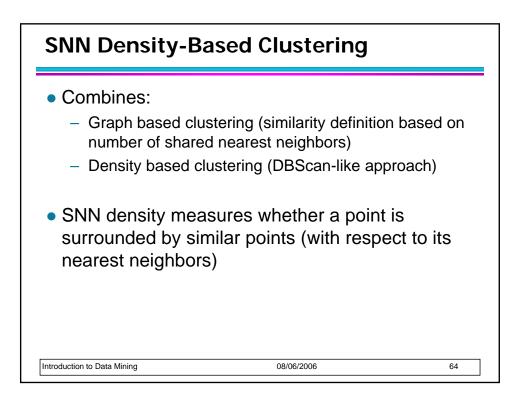


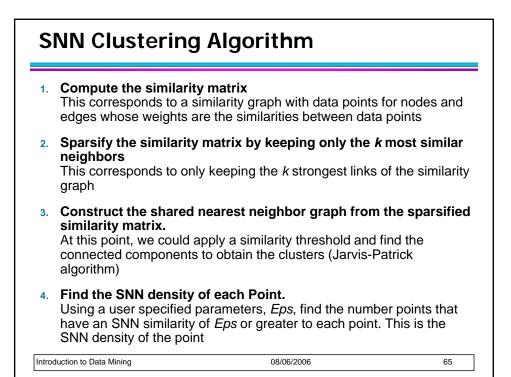












SNN Clustering Algorithm			
5.	Find the core points Using a user specified parameter, Min points, i.e., all points that have an SNI than MinPts	a <i>Pts</i> , find the core N density greater	
6.	Form clusters from the core points If two core points are within a "radius" other they are place in the same clust		
7.	Discard all noise points All non-core points that are not within a "radius" of <i>Eps</i> of a core point are discarded		
8.	Assign all non-noise, non-core points to clusters This can be done by assigning such points to the nearest core point		
	(Note that steps 4-8 are DBSCAN)		
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